

Transporte de Masa

Reacciones sólido-fluido

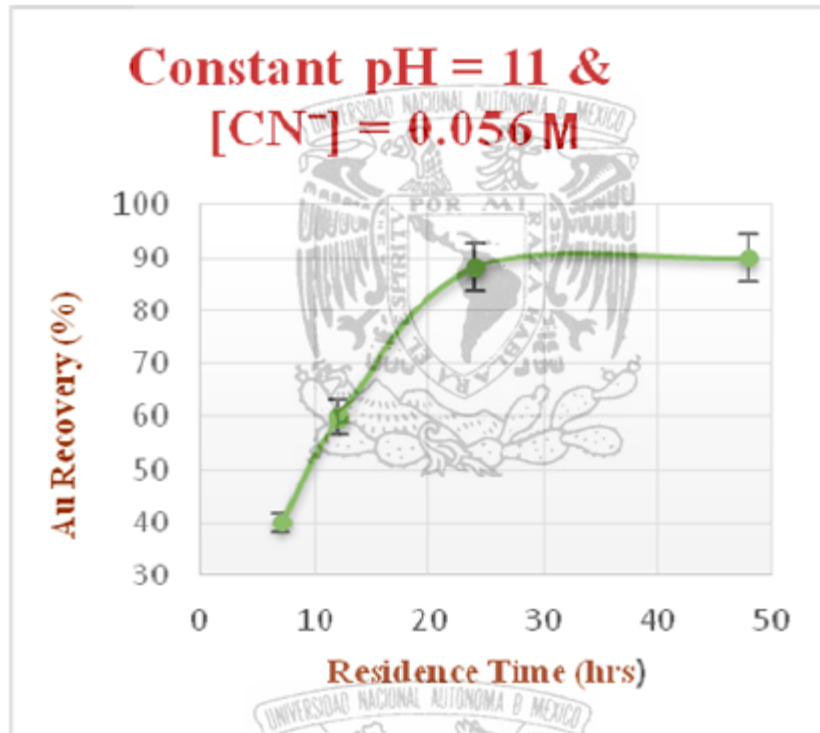
Dr. Bernardo Hernández Morales

Depto. de Ingeniería Metalúrgica

Facultad de Química, UNAM

Semestre 2016-2

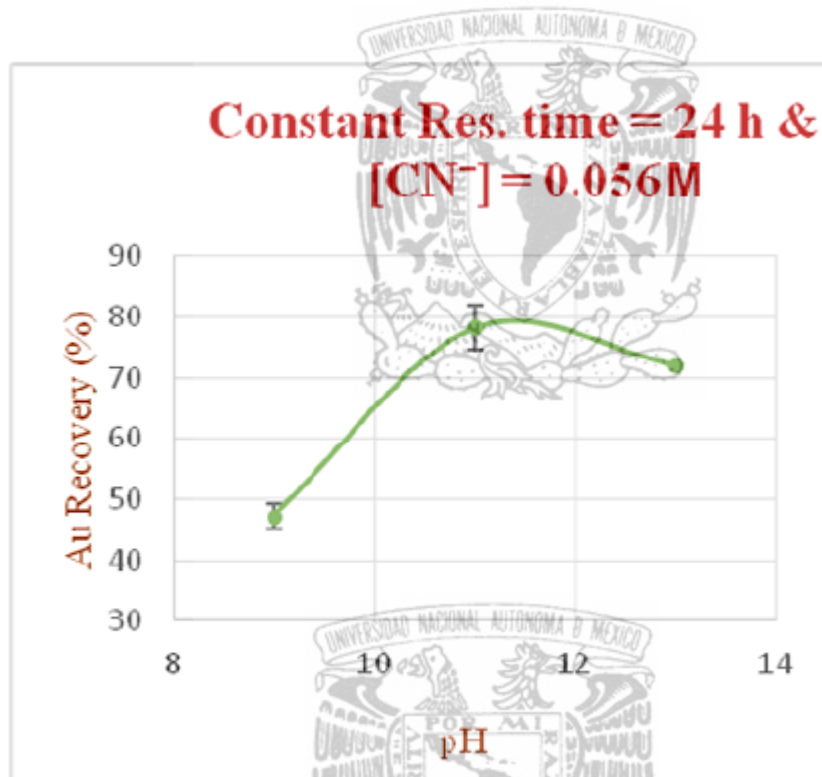




Avance de la reacción

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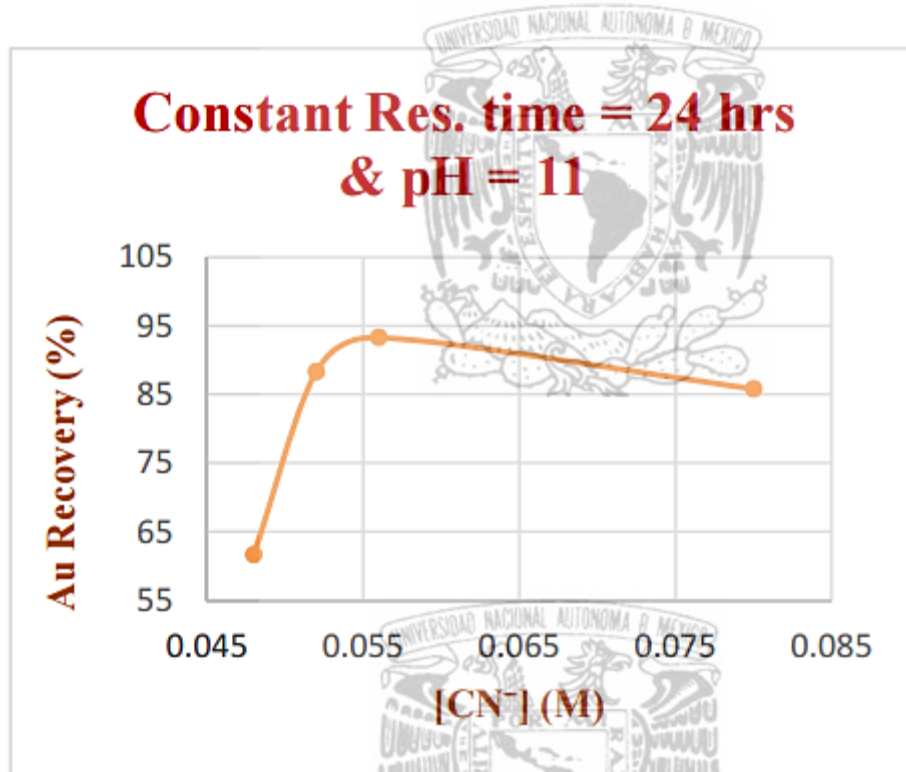
Factors affecting Gold Recovery from Secondary
Ore



Efecto del pH

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Factors affecting Gold Recovery from Secondary
Ore



Efecto de la conc. de cianuro

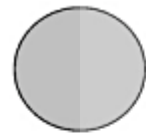
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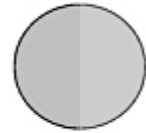
¿ Cómo avanza la oxidación de una manzana cortada ?



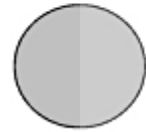
Clasificación de los modelos y su representación esquemática:



(a) Shrinking Particle



(b) Shrinking Core – Constant Particle Size



(c) Shrinking Core – Shrinking Particle



Leaching Time

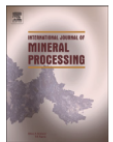


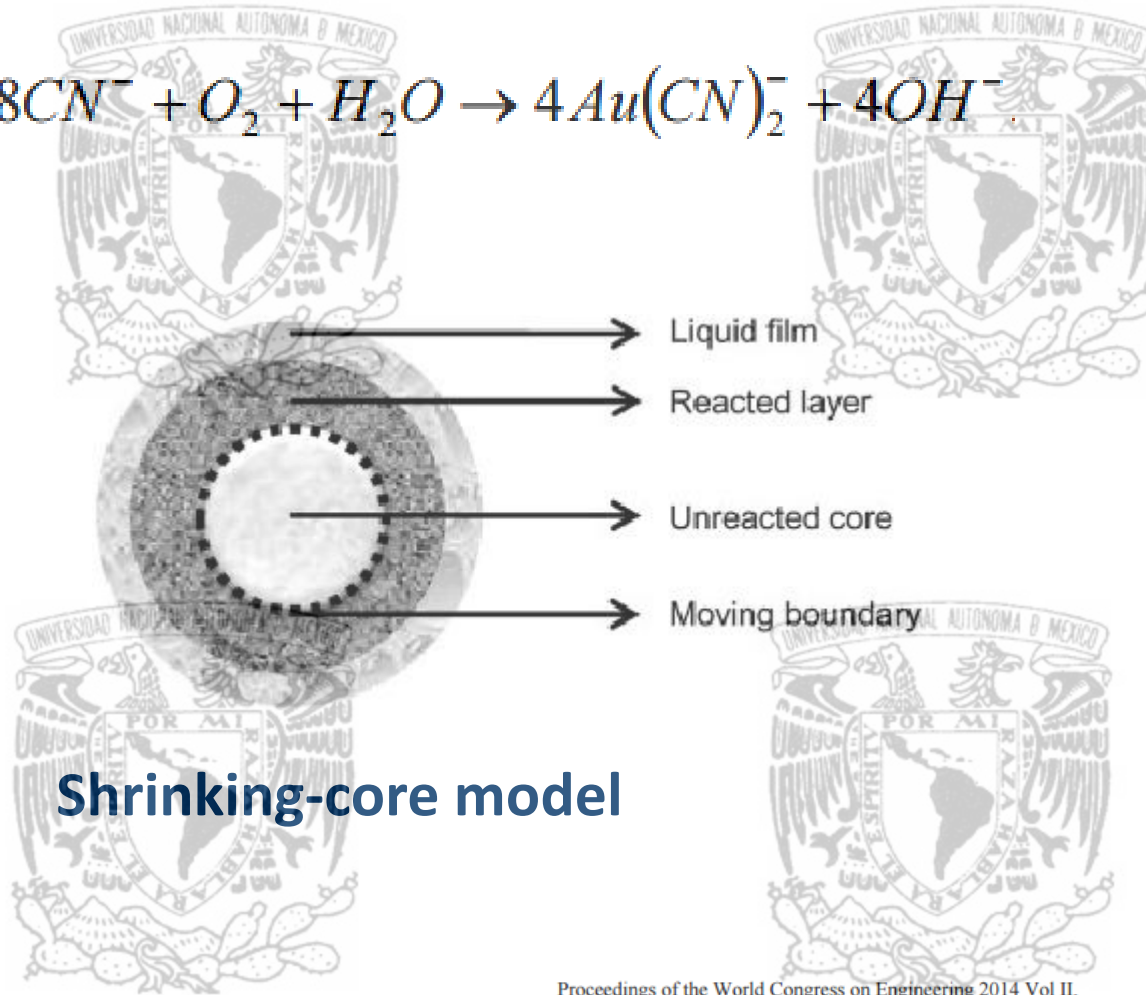
Int. J. Miner. Process. 93 (2009) 79–83

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Int. J. Miner. Process.

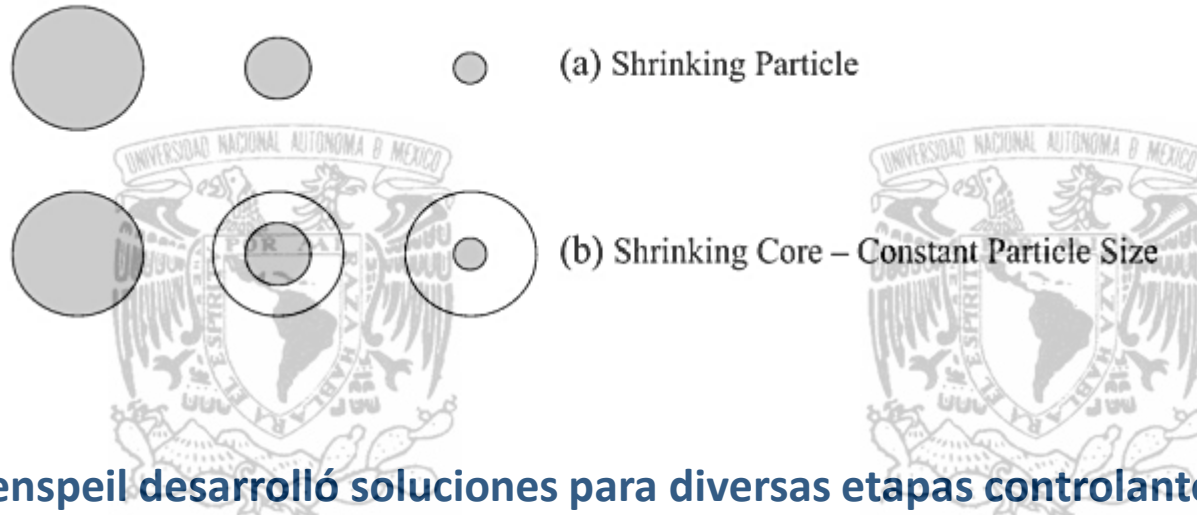
journal homepage: www.elsevier.com/locate/ijminpro





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Factors affecting Gold Recovery from Secondary Ore



O. Levenspiel desarrolló soluciones para diversas etapas controlantes en procesos gas-sólido. Estas soluciones se han aplicado a sistemas en hidrometalurgia, a pesar de que algunas suposiciones podrían no ser ciertas en ese caso.

En el archivo “Desarrollo de las ecuaciones de avance de la reacción” (ver AMYD) se presentan los pasos para obtener las soluciones de Levenspiel.

Modelos del avance de la reacción

Resumen de las soluciones para los casos “shrinking particle” y “shrinking core”

TABLE 4-4 Rate Equations for Fluid-Solid Reactions
 (Unreacted-core model)
 $aA(\text{fluid}) + bB(s) \rightarrow \text{products}$

Case	Controlling step	Rate equation
Fixed-size particles	Diffusion through gas film	$\frac{\theta}{\theta_1} = 1 - \left(\frac{r_c}{R}\right)^3 = x_B$ $\theta_1 = \frac{a\rho_B R}{3bk_m C_{A1}}$
	Diffusion through ash	$\frac{\theta}{\theta_2} = 1 - 3\left(\frac{r_c}{R}\right)^2 + 2\left(\frac{r_c}{R}\right)^3$ $= 1 - 3(1 - x_B)^{2/3} + 2(1 - x_B)$ $\theta_2 = \frac{a\rho_B R^2}{6bD_r C_{A1}}$
	Chemical reaction (nth order with respect to A)	$\frac{\theta}{\theta_3} = 1 - \frac{r_c}{R}$ $= 1 - (1 - x_B)^{1/3}$ $\theta_3 = \frac{a\rho_B R}{bk_s C_{A1}^n}$

Modelos del avance de la reacción

Resumen de las soluciones para los casos "shrinking particle" y "shrinking core" (continuación)

Particle size varies; no ash formation	Diffusion through gas film*	For small particle (Stokes regime): $\frac{\theta}{\Theta} = 1 - (1 - x_B)^{2/3}$ $\Theta = \frac{\rho_B y R^2}{2bDC_{A1}}$ For large particle: $\frac{\theta}{\Theta} = 1 - (1 - x_B)^{1/2}$ $\Theta = KR^{3/2}/C_{A1}$
Chemical reaction (n th order with respect to A)		$\frac{\theta}{\Theta_3} = 1 - \frac{r_c}{R}$ $= 1 - (1 - x_B)^{1/3}$ $\Theta_3 = \frac{a\rho_B R}{bk_r C_{A1}^n}$

Θ 's are times required for complete conversion for individual controlling steps.

k_m and k_r are mass-transfer coefficient and reaction rate constant respectively, based on unit surface in m/s (ft/h) for k_m , and also for k_r when $a = 1$ (first-order reaction).

D_e is effective diffusivity of A in a porous structure in m²/s (ft²/h). C_{A1} is concentration of A in main fluid stream in mol/m³ (mol/ft³).

*Adapted from Ref. B-10; y is mole fraction of A in fluid, and K is a constant.