



QA II

FQ- UNAM

Prof. Alejandro Baeza

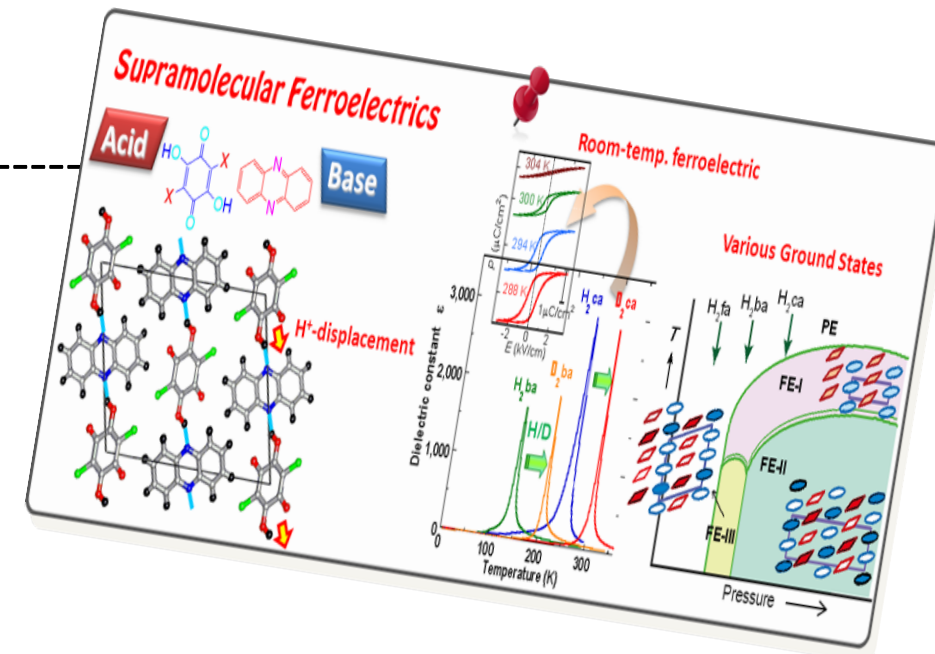
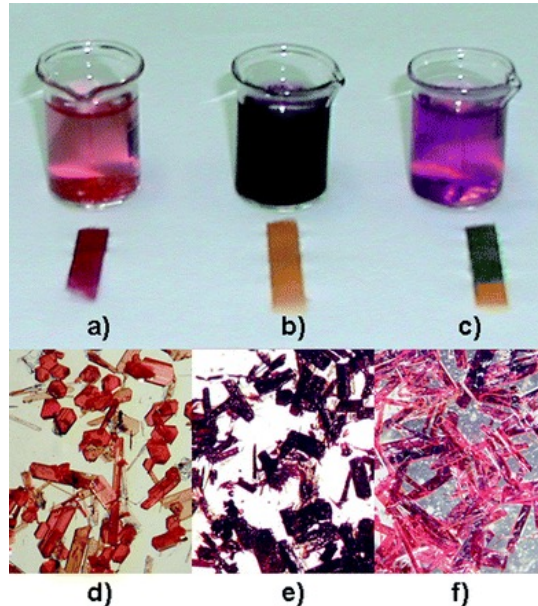
<http://microelectrochemalexbaeza.com>



Diagrama Lotaritmico de Transición de Estado de Solubilidad

DLTES


Cloranilato de Ca




El ácido cloranílico es un compuesto que puede formar complejos orgánicos con propiedades electricas buscadas como sustituto de componentes electrónicos metálicos , sus propiedades dependen de su comportamiento ácido base–solubilidad.


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TTF derivative of 2,5-aromatic disubstituted pyrrole, synthesis and electronic study 

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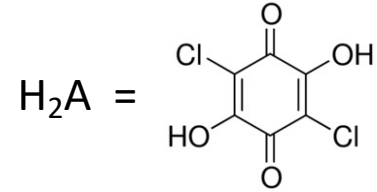
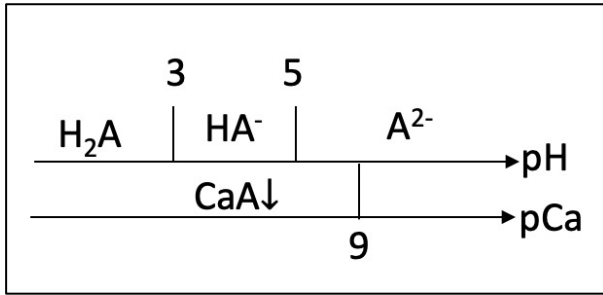
^b Facultad de Química, Universidad Nacional Autónoma de México, Circuito Escolar s/n, Ciudad Universitaria, Coyoacán 04510, México D.F., Mexico

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1. Introduction

The study of electronic materials has been growing and opening new important areas [1–3], the study of this kind of compounds takes account mainly on the energy of the highest occupied molecular orbital (HOMO) and lowest unoccupied molecular orbital (LUMO) levels and the orbital interactions. These last interactions are fundamental for the communication between two different pair of molecules that can show interesting electronic interchanges [4].

DUZP-DUPE combinados:



1º) DZPE, $pH = f(pCa)$

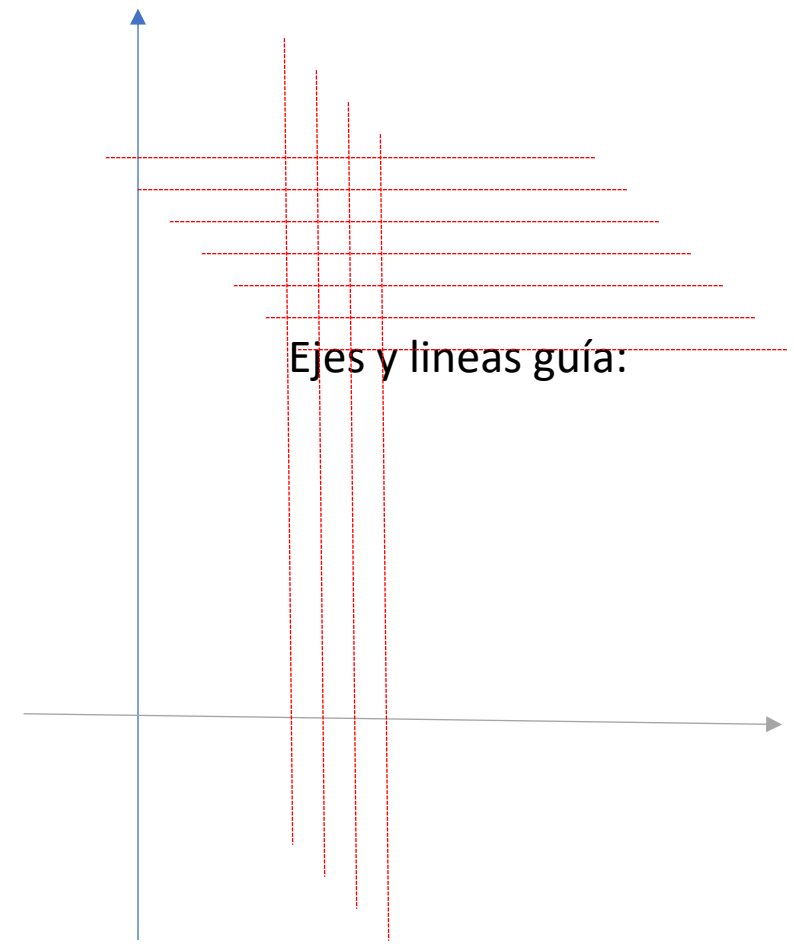


2º) DLTES, $\log [S] = f(pH)_{pCa2}$

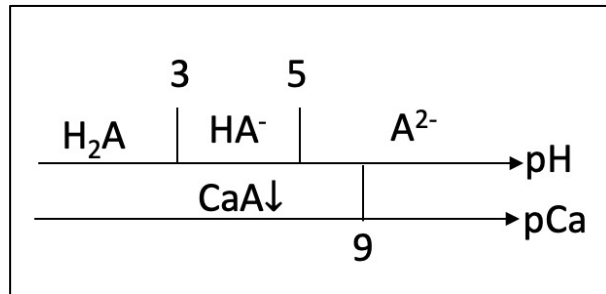


3º) $DLTES = f(\log[i]) = f(f)$

1º) DZPE, $pH = f(pCa)$



1º) DZPE, $pH = f(pCa)$



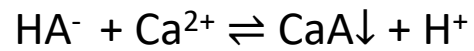
(a) $pH = pK_{a1}$



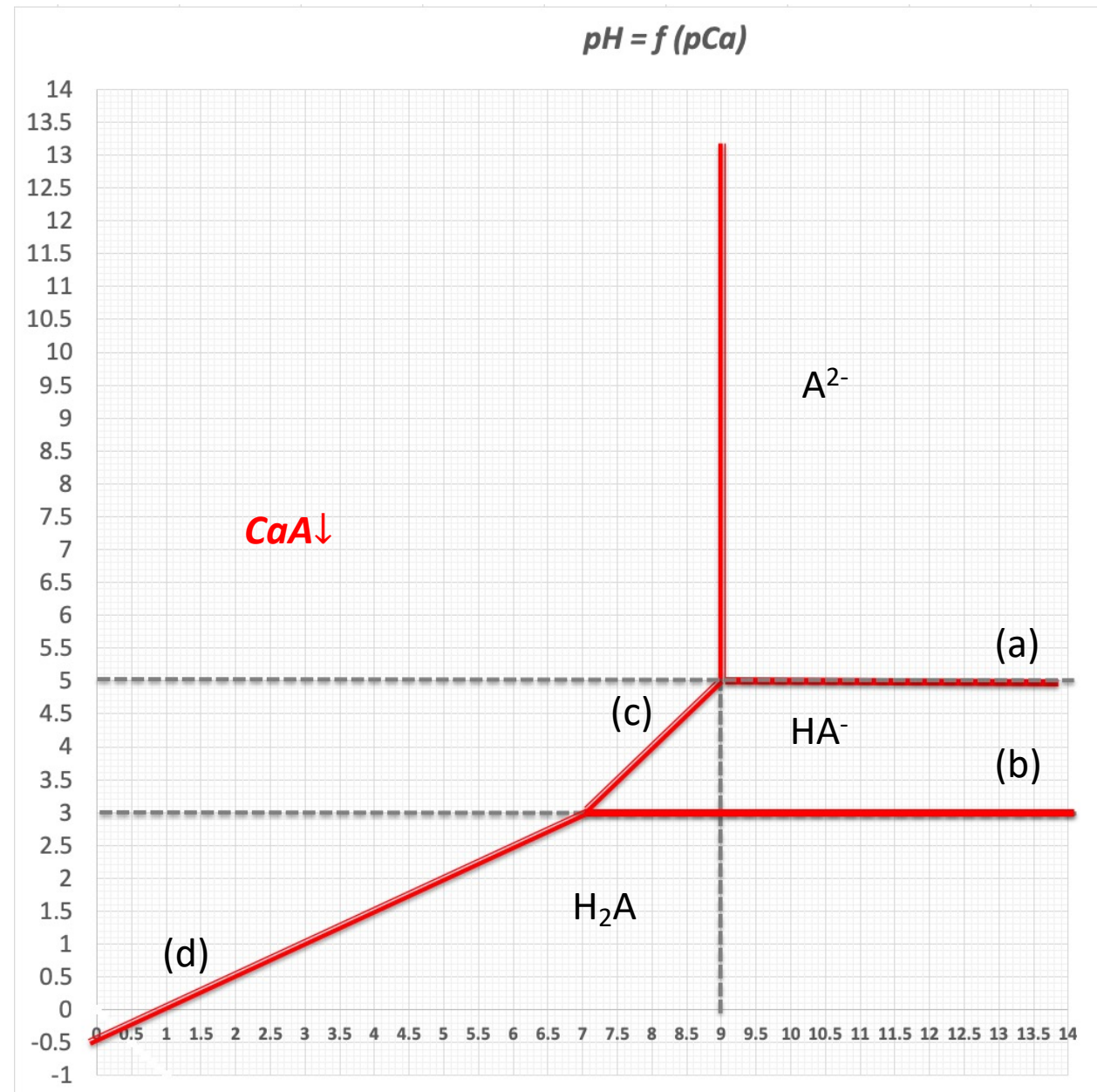
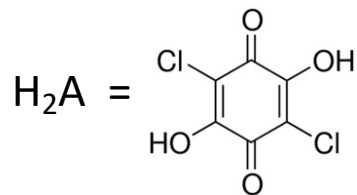
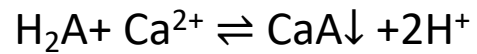
(b). $pH = pK_{a2}$



(C) $pH = pK_{a1}' = pK_{a1} - pK_s + pCa$

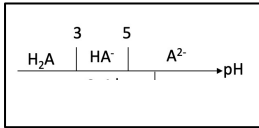


(d) $2pH = pK_{a_{gbl}}' = pK_{a1} + pK_{a2} - pK_s + pCa$



A pCa > pKs = 9: DLC HOMOGÉNEO

Trazo formal: funciones polinomiales:



$$\log[i] = \log C_0 + \log \Phi_i$$

$$\Phi_A = [1 + K_{HA}^H [H^+] + K_{H_2A}^{2H} [H^+]^2]^{-1}$$

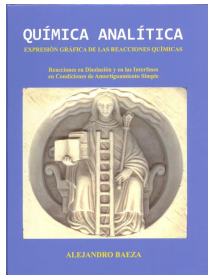
$$\Phi_{HA} = \Phi_A (K_{HA}^H [H^+])$$

$$\Phi_{H_2A} = \Phi_A (K_{H_2A}^{2H} [H^+]^2)$$

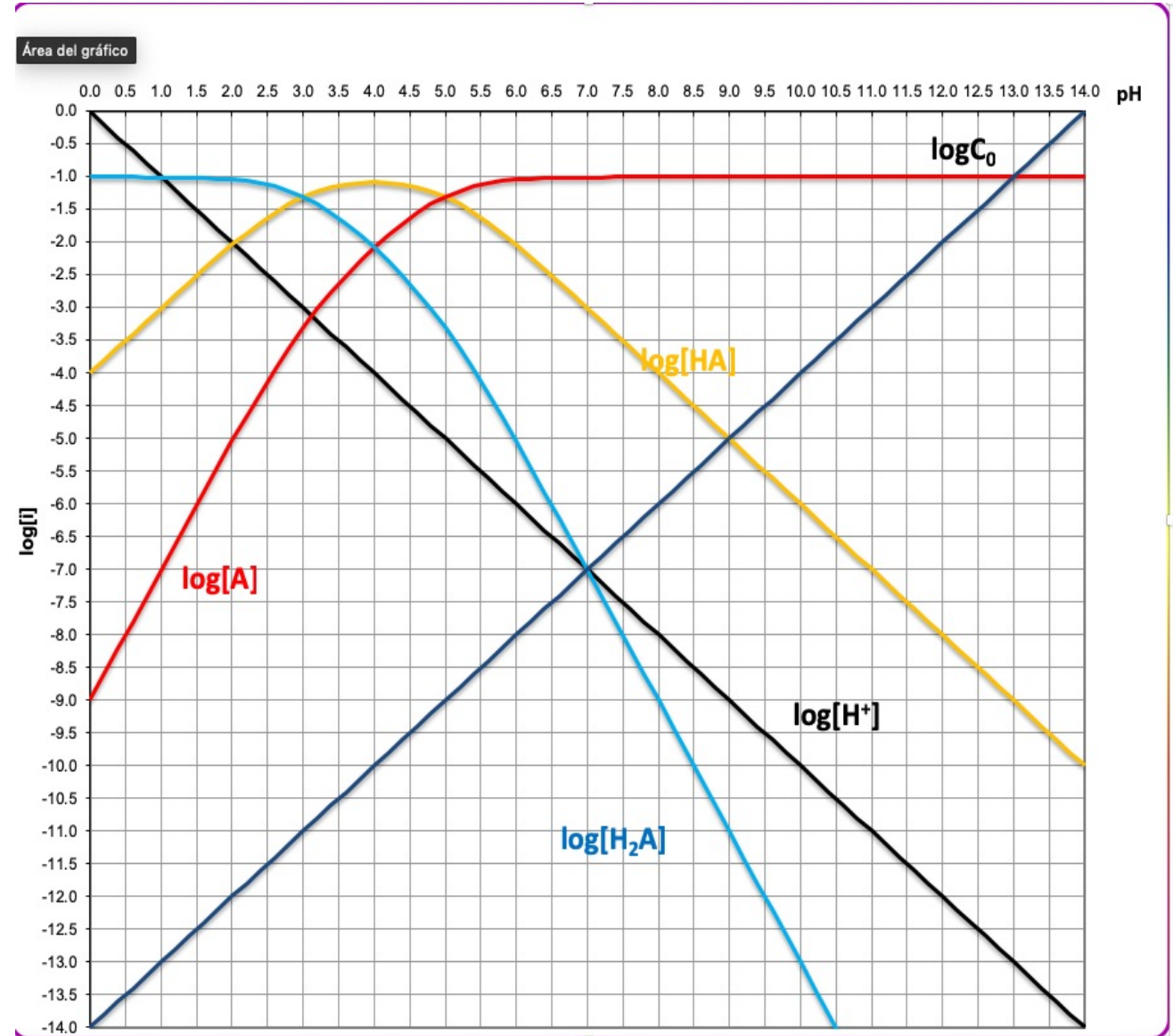
$$\log[A^{2-}] = \log C_0 + \log \Phi_A - \log [1 + K_{HA}^H [H^+] + K_{H_2A}^{2H} [H^+]^2]$$

$$\log[HA^-] = \log C_0 + \log \Phi_{HA} = \log C_0 + \log \Phi_A + \log [K_{HA}^H [H^+]]$$

$$\log[H_2A] = \log C_0 + \log \Phi_{H_2A} = \log C_0 + \log \Phi_A + \log [K_{H_2A}^{2H} [H^+]^2]$$



A. Baeza. Química Analítica. *Expresión Gráfica de las Reacciones Químicas*. S. y G. Ediciones. 2010.
http://microelectrochemalexbaeza.com/wp-content/uploads/2015/06/BOOK-I-complete-REV-2010c2012_1.pdf

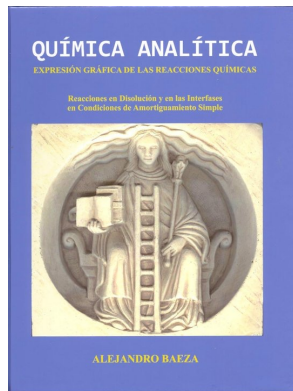
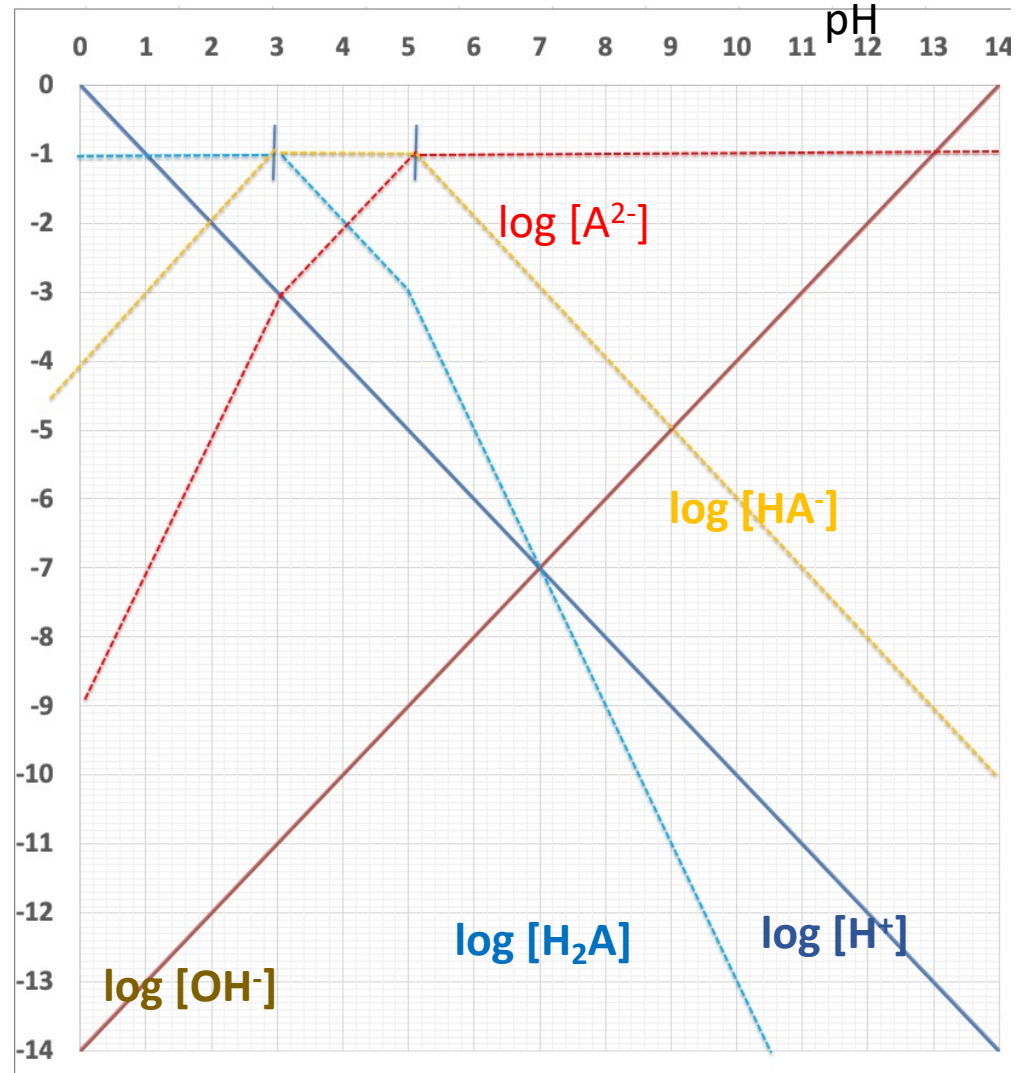


A pCa > pKs = 9: DLC HOMOGENEO

Trazo rápido: polinomios reducidos.

log Co

	H ₂ A	HA ⁻	A ²⁻
		pKa ₂	pKa ₁
	pH		
	pH << pKa ₂ :	pKa ₂ << pH << pKa ₁	pH >> pKa ₁
log [H ₂ A]	⁽¹⁾ log Co,	⁽²⁾ log Co + pKa ₂ - pH	⁽³⁾ log Co + (pKa ₁ + pKa ₂) - 2pH
log [HA ⁻]	⁽⁴⁾ log Co - pKa ₂ + pH	⁽⁵⁾ log Co	⁽⁶⁾ log Co + pKa ₁ - pH
log [A ²⁻]	⁽⁷⁾ log Co - (pKa ₁ + pKa ₂) + 2pH	⁽⁸⁾ log Co - pKa ₁ + pH	⁽⁹⁾ log Co

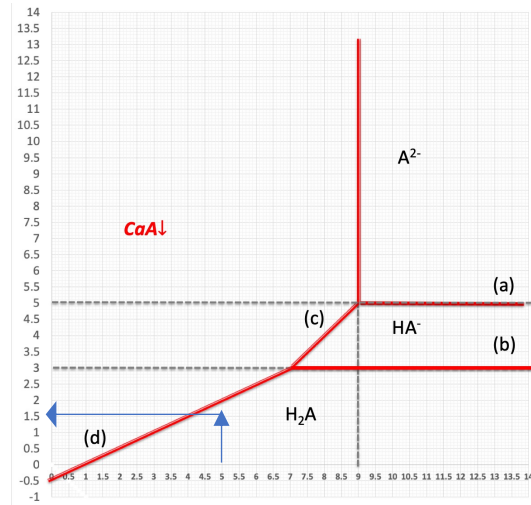


log [i]

A. Baeza. Química Analítica. *Expresión Gráfica de las Reacciones Químicas*. S. y G. Ediciones. 2010.

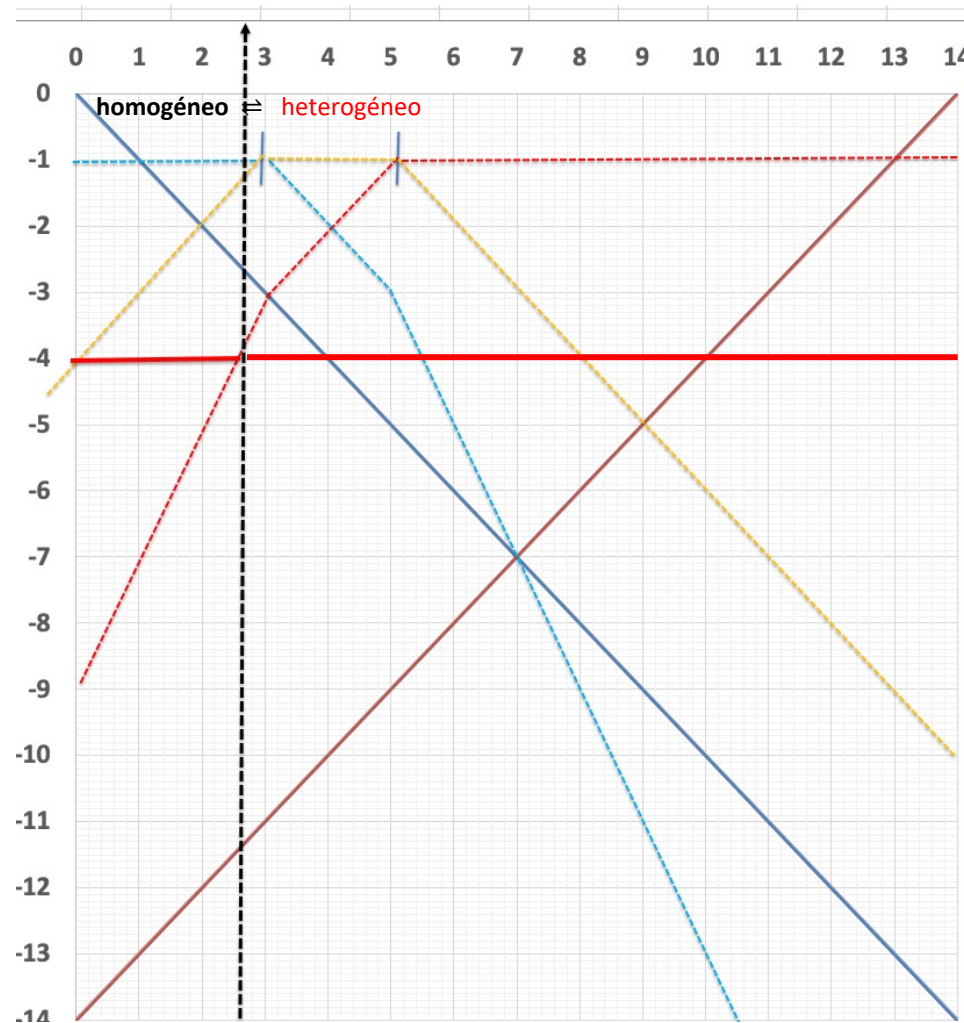
http://microelectrochemalexbaeza.com/wp-content/uploads/2015/06/BOOK-I-complete-REV-2010c2012_1.pdf

2º) DLTES, $\log [S] = f(\text{pH})_{\text{pCa}=5}$



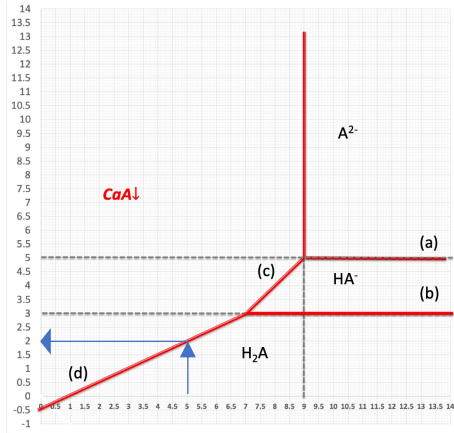
A pCa = 5: $K_s = [A^{2-}][Ca^{2+}]$
 $K_s = 10^{-9} = [A^{2-}]10^{-5}$
 $\log [A^{2-}] = -4 = \log S'$

A partir del DLC homogéneo
 Se determina el pH de inicio
 De precipitación: cambio de estado:



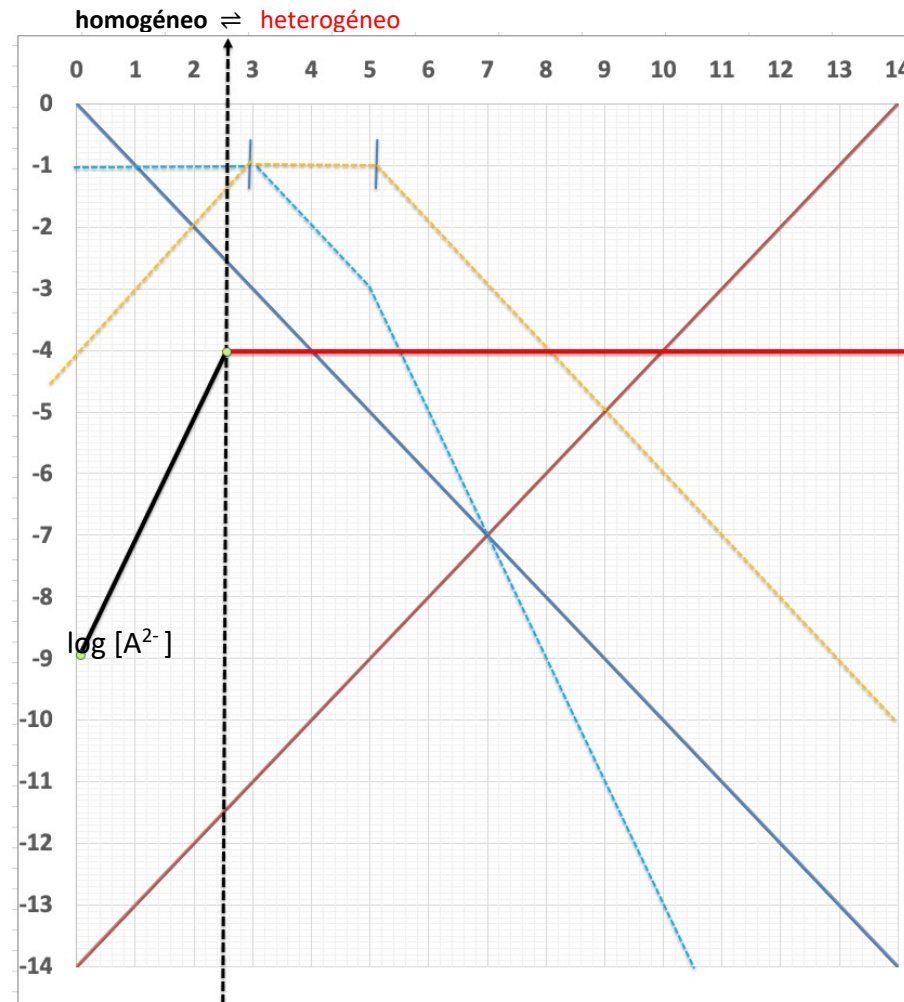
Se determinan $\log [A^{2-}]$ definitivos en ambos estados: \longrightarrow

2º) DLTES, $\log [S] = f(\text{pH})_{\text{pCa}=5}$

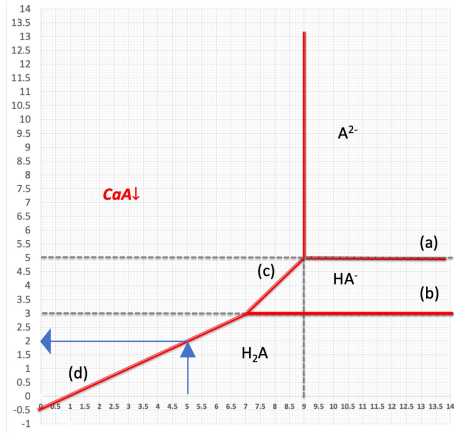


A pCa = 5: $K_s = [A^{2-}][Ca^{2+}]$
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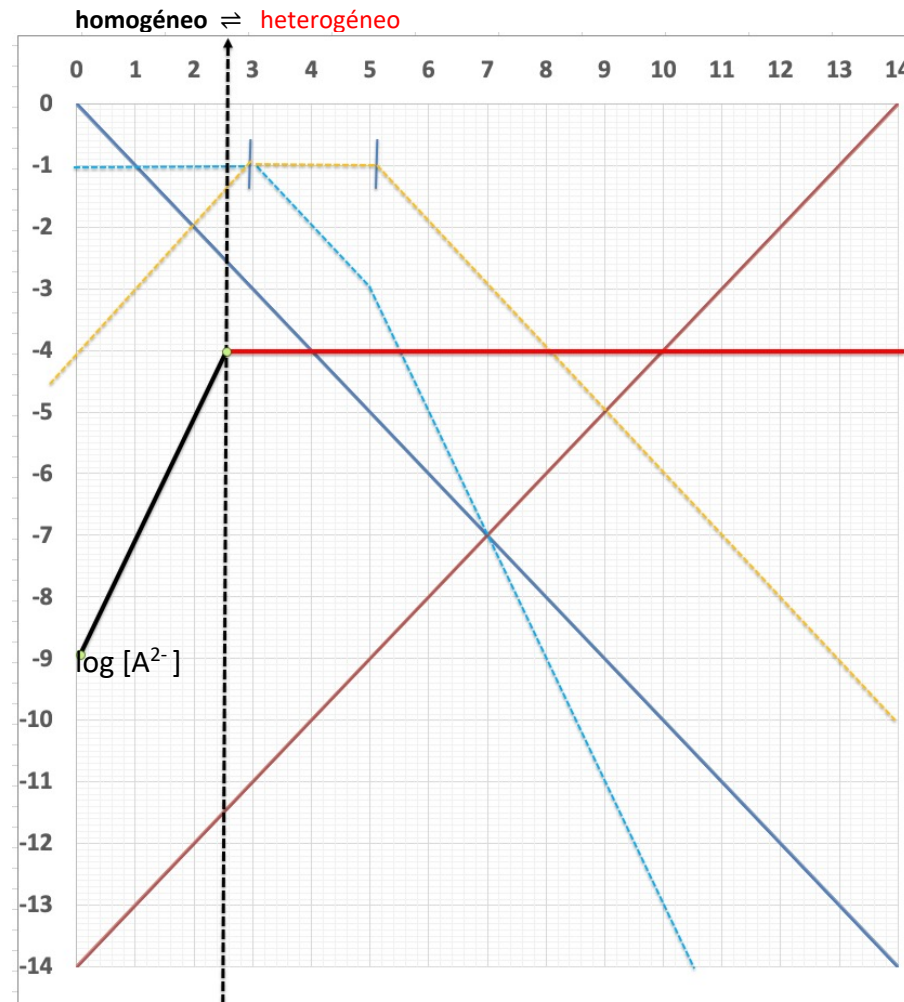


2º) DLTES, $\log [S] = f(\text{pH})_{\text{pCa}=5}$



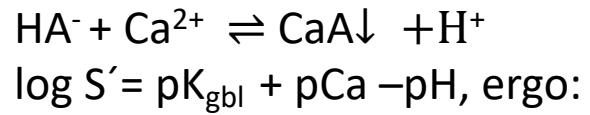
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A partir del DLC homogéneo
 Se determina el pH de inicio
 De precipitación: cambio de estado:

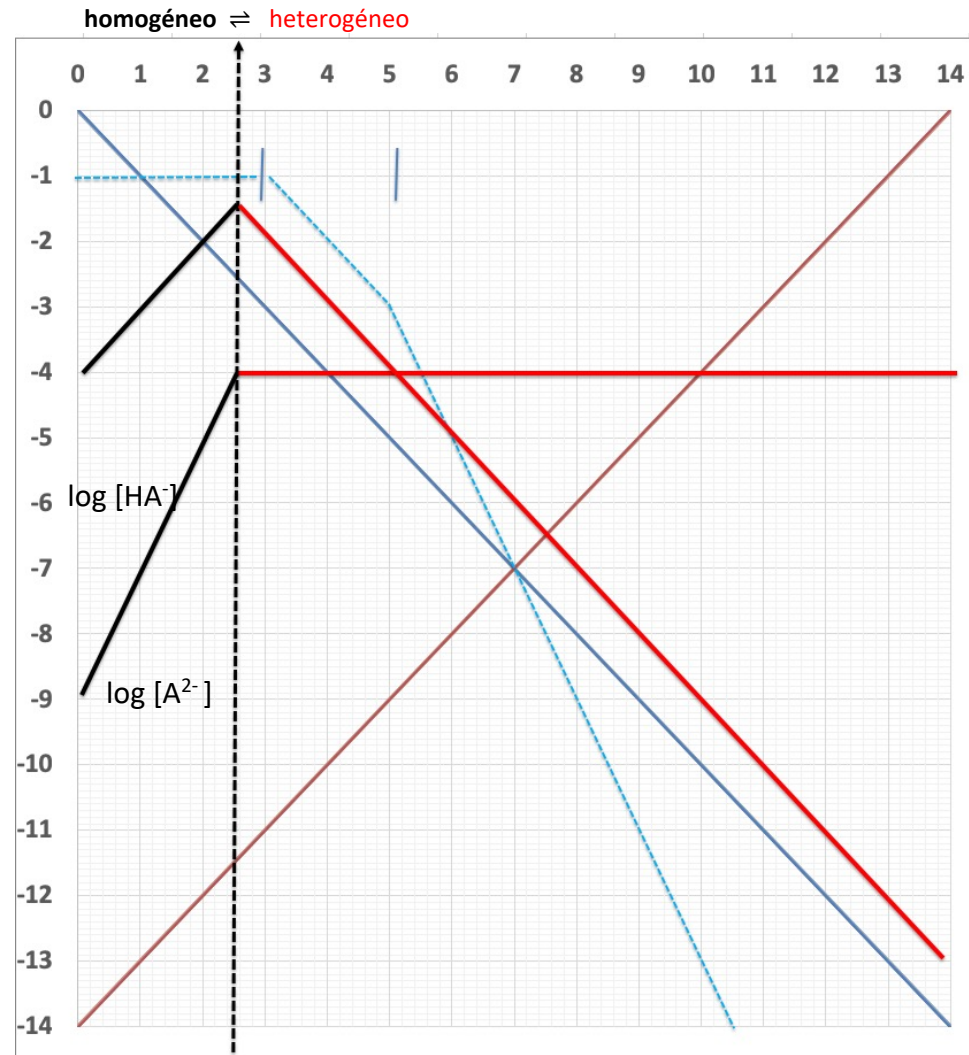


2º) DLTES, $\log [S] = f(\text{pH})_{\text{pCa}=5}$

Determinado el pH de transición de estado
Se busca $\log [\text{HA}^-]$ en medio heterogeneo según:

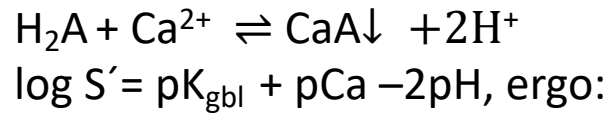


Desaparecen $\log [\text{HA}^-]$ en medio homogéneo:

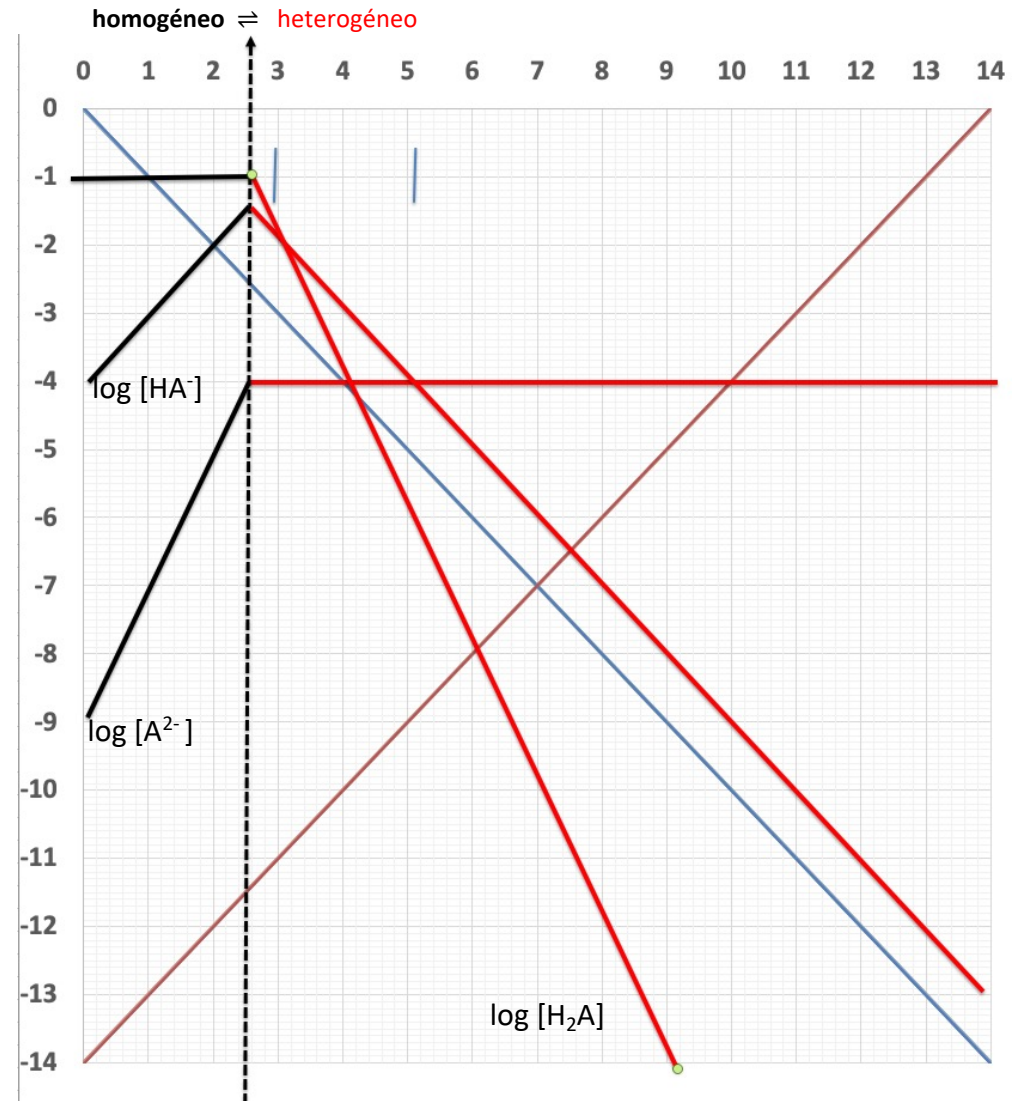


2º) DLTES, $\log [S] = f(\text{pH})_{\text{pCa}=5}$

Determinado el pH de transición de estado
Se busca $\log [H_2A]$ en medio heterogeneo según:

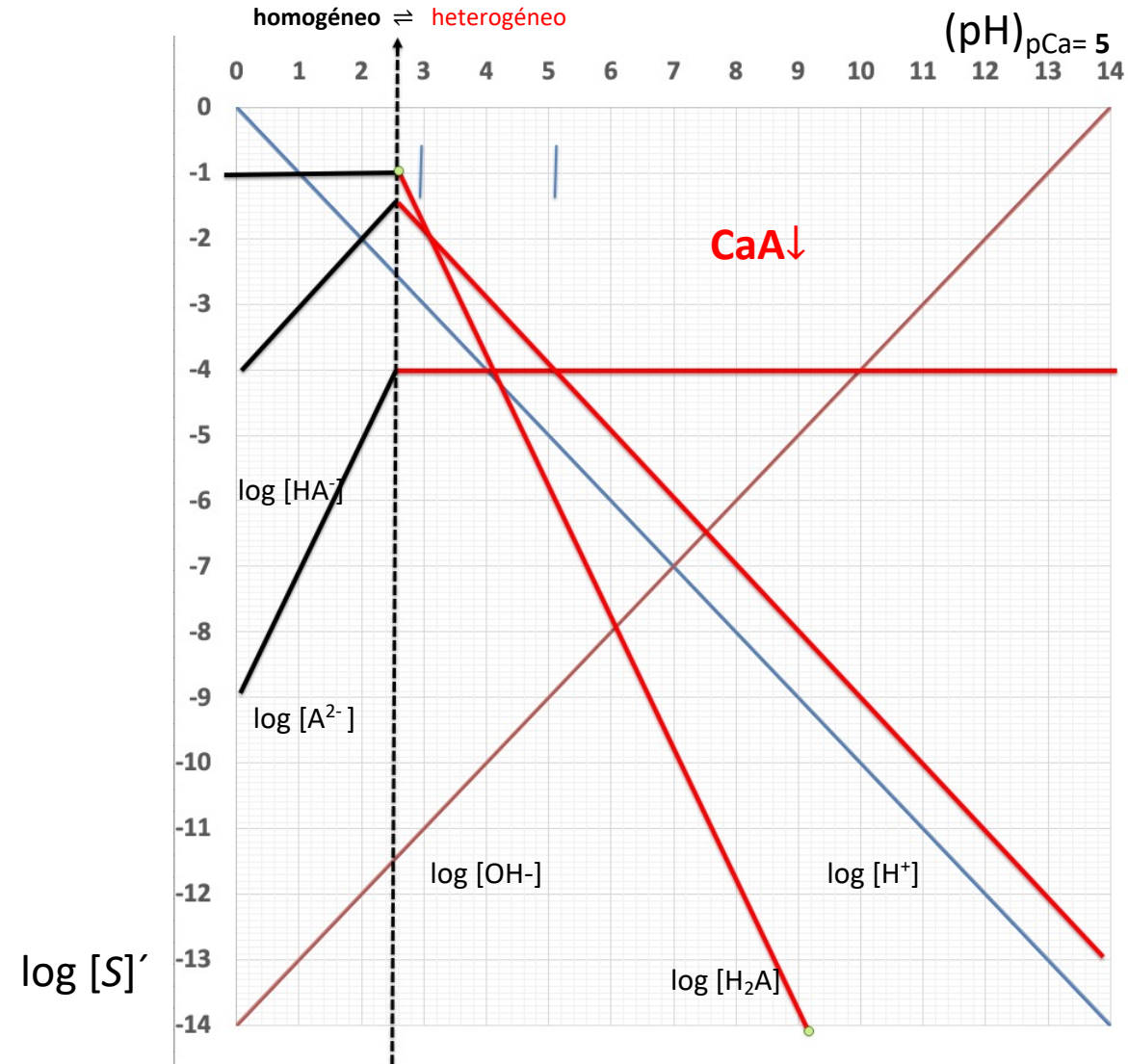


Desaparecen $\log [H_2A]$ en medio homogeneo:



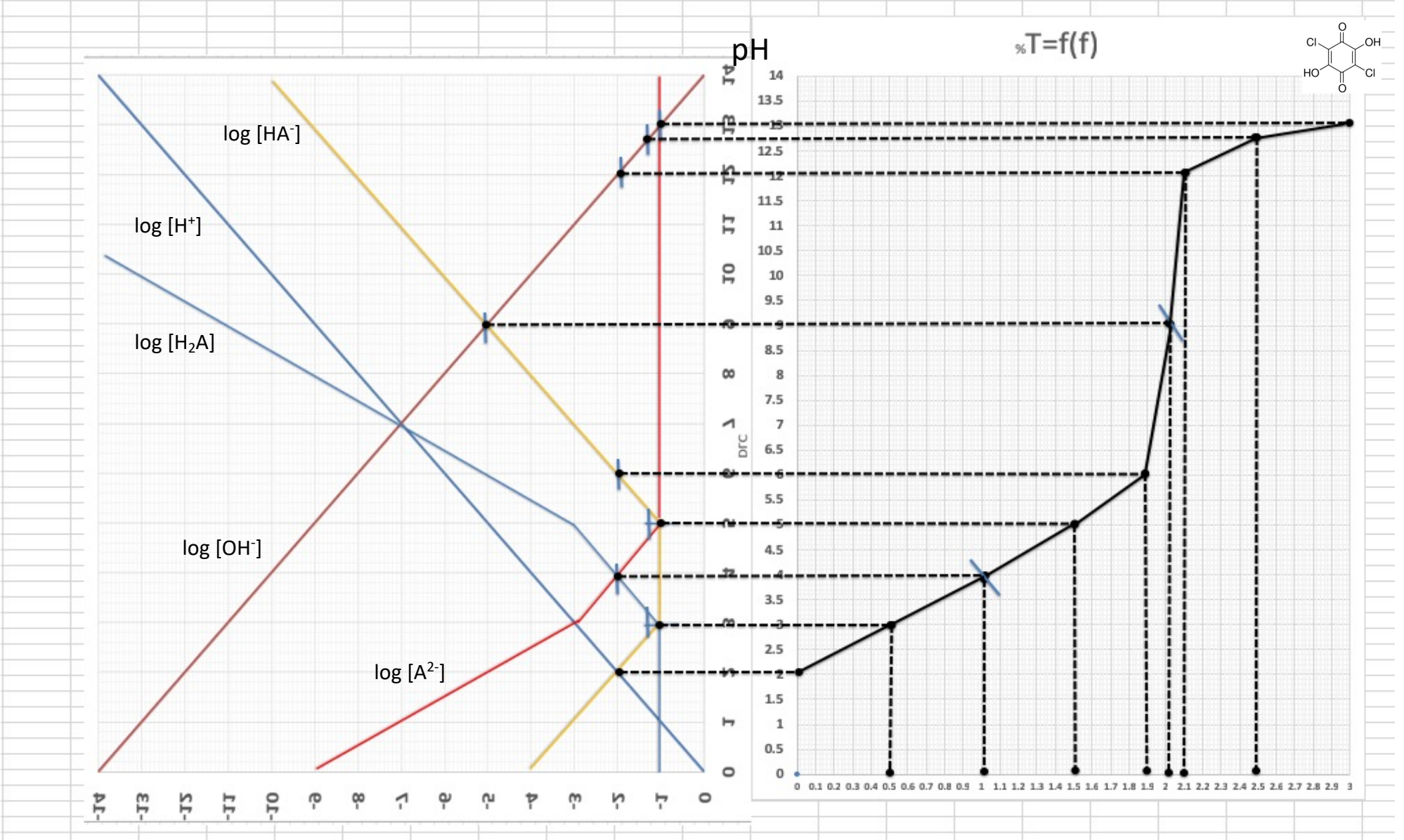
2º) DLTES, $\log [S] = f(\text{pH})_{\text{pCa}=5}$

El DLTES definitivo a $\text{pCa} = 5$ queda:



A pCa > pKs = 9: DLC HOMOGENEO

3º) DLTES=f(log[i])= f(f)



2º) DLTES, $\log [S] = f(\text{pH})_{\text{pCa}=5}$

3º) DLTES= $f(\log[i])= f(f)$

